

Predicting Different Levels of Academic  
Success in College Using High School  
GPA and ACT Composite Score

Julie Noble

Richard Sawyer

**For additional copies write:  
ACT Research Report Series  
P.O. Box 168  
Iowa City, Iowa 52243-0168**

**Predicting Different Levels of Academic Success  
in College Using High School GPA and  
ACT Composite Score**

Julie Noble  
Richard Sawyer



## **Abstract**

This study compared the effectiveness of ACT Composite score and high school GPA for predicting different levels of first-year college GPA. Logistic regression models were estimated for predicting first-year GPA levels ranging from 2.00 to 3.75 for a sample of postsecondary institutions. The prediction models estimated from one year's data were then applied to data from the next year (crossvalidation over time). The resulting statistics on prediction accuracy were summarized across institutions.

Both high school GPA and ACT Composite score were effective in predicting success at the 2.00, 2.50, and 3.00 levels of first-year GPA; high school GPA was somewhat more accurate than ACT Composite score at these levels. High school GPA was not an effective predictor of success at higher levels of first-year GPA, however. For example, even a 4.00 high school GPA corresponded to very low probabilities of success at the 3.25, 3.50, and 3.75 levels of first-year GPA. Moreover, high school GPA values below 3.00 provided little differentiation among students across first-year GPA levels. ACT Composite score predictions, in contrast, were effective at all first-year GPA levels.



## **Predicting Different Levels of Academic Success in College Using High School GPA and ACT Composite Score**

College admissions officials typically use both high school GPA and scores on college entrance tests (such as the ACT Assessment) to predict, formally or informally, an applicant's probability of academic success in the first year of college (Breland, H., Maxey, J., Gernand, R., Cumming, T. and Trapani, C., 2002). Academic success is typically measured by first-year college GPA.

Although high school GPA and college GPA both measure educational achievement, they also include other personal characteristics such as effort, attendance, conformity, and motivation (Goldman & Widawski, 1976; Stiggins, et al., 1989). In contrast, ACT scores primarily measure educational achievement in college-preparatory courses (ACT, 1997c). One might therefore expect high school GPA and ACT scores to be related to first-year GPA in different ways: High school GPA likely relates to both the cognitive and the noncognitive components of college GPA. ACT scores, on the other hand, likely relate only to the cognitive components of college GPA.

Goldman's and others' research in the 1970s found that the presence of non-achievement components in college grades was related to average student ability (e.g., Goldman & Hewitt, 1975; Goldman, Schmidt, Hewitt, & Fisher, 1974; Goldman & Widawski, 1976). They found that *high* college grades were more likely to reflect cognitive achievement and less likely to reflect noncognitive factors. One might therefore expect that

- Predictions of moderate levels of college GPA (e.g., 2.00) based on high school GPA are more accurate than predictions based on ACT scores, but
- Predictions of high levels of college GPA (e.g., 3.00) based on ACT scores would be more accurate than predictions based on high school GPA.

The research comparing predictions of first-year GPA from ACT scores or high school GPA has largely been correlational in nature (e.g., ACT, 1998d). For example, recent summary statistics for institutions participating in ACT's Research Services showed that, across 129 colleges, the median multiple correlation (across institutions) between first-year GPA and the four ACT scores (in English, mathematics, reading, and science reasoning) was .43 (Maxey, in press). The corresponding median correlation between first-year GPA and four high school average grades was .48. The eight-predictor ACT score/high school grade average multiple correlation with first-year GPA was .53. These results were not corrected for range restriction caused by selection on ACT scores and/or high school grades.

Other research has examined prediction accuracy at first-year GPA levels of 2.00 or higher or 3.00 or higher (ACT, 1997c). This study showed that high school GPA was slightly more accurate than ACT scores in predicting whether students earn a 2.00 or higher GPA in the first year of college. For predicting whether students earn a 3.00 or higher college GPA, however, ACT Composite score and high school GPA had the same accuracy. The typical percentage of accurate predictions was 79% using either predictor, and the typical percentage of correct classifications using a joint ACT Composite/high school GPA model was 80%.

The purpose of this study is to compare the accuracy of ACT Composite score and high school GPA for predicting successive levels of first-year college GPA. The levels considered were first-year GPAs of 2.00, 2.50, 3.00, 3.25, 3.50, and 3.75 or higher.

In practice, prediction equations based on data from one freshman class are applied to the test scores and/or high school GPAs of *future* applicants. Because students may differ over time in their test scores, high school GPAs, or college grades, predictive validity statistics developed from one year's data may misstate the strength of the relationship associated with actual use of



such predictions. Crossvalidation allows us to study the accuracy of using prediction equations developed from one freshman class to forecast the success of a subsequent class. This procedure models the actual use of prediction equations by institutions, and it avoids the tendency of estimates of prediction accuracy based on a single year's data to be overly optimistic. A second purpose of this study, therefore, was to determine the crossvalidated accuracy of prediction equations and cutoffs based on ACT Composite score, high school GPA, and both variables used jointly.

### **Data for the Study**

The data for the study were taken from two years of ACT's Prediction Research history files (ACT, 1997b; 1998c). The 1996-97 file consisted of the high school GPAs (HSAV), ACT Composite scores (ACTC), and college grades of 219,435 first-year students from 301 postsecondary institutions (minimum sample size = 50). High school GPAs were based on students' self-reports of their grades in 30 college-preparatory high school courses provided at the time they took the ACT Assessment.

In addition, 728,957 nonenrolled students were identified from the 1996-97 ACT Class Profile history (ACT, 1997a), a database consisting of enrollment information and ACT Assessment records of both enrolled and nonenrolled students from over 900 institutions. Nonenrolled students had requested that their ACT scores be sent to at least one of the 301 institutions, but they did not enroll at that institution. These students, plus those who actually enrolled in an institution and completed their first year, comprised the base-year "applicant pool" for that institution. In fact, some of the nonenrolled students did not apply for admission to the institutions to which they sent their scores, but it was not possible to distinguish the nonapplicants from actual applicants. The analyses in this paper are based on data from all score

senders; they are considered to be "applicants." All students had valid ACTC scores and HSAVs; enrolled students also had valid first-year college GPAs.

The 1997-98 Prediction Research file consisted of the same elements described above for 214,924 first-year students from 294 postsecondary institutions (minimum sample size = 50). In addition, 749,002 nonenrolled students were identified from the 1997-98 ACT Class Profile history (ACT, 1998a). These files comprised the crossvalidation-year data set.

Operationally, first-year GPA predictions based on one year's data are applied to data for students two years later; for example, equations based on 1996-97 data for an institution would be used for applicants in fall 1998-99. However, to maximize sample sizes and the number of institutions for this study, the crossvalidation analysis was based on 1996-97 and 1997-98 data, rather than 1996-97 and 1998-99 data. In addition, Sawyer and Maxey (1980) found that crossvalidation statistics using a one-year period between base and crossvalidation years were very similar to those using a two-year period.

The analyses were based on data from institutions that had participated in ACT's Prediction Research Service in both 1996-97 and 1997-98. The resulting analysis files therefore consisted of data from 216 institutions: The base-year file consisted of records for 164,436 enrolled students and 528,082 nonenrolled students, and the crossvalidation-year file consisted of records for 166,126 enrolled students and 539,241 nonenrolled students.

### **Method**

Base-year and crossvalidation-year mean ACTC scores and mean HSAV values were computed by institution. Means were calculated for enrolled students, as well as for students in the entire applicant pool. Mean first-year GPAs were calculated by institution for students who completed the first year of college. Distributions of the means of these variables were then

summarized across institutions for both the base year and the crossvalidation year using minimum, median, and maximum values.

### *Base-Year Logistic Regression Analysis*

Logistic regression is a method for estimating the statistical relationship between a dichotomous outcome variable (e.g., first-year college GPA of 2.00 or higher) and one or more predictor variables (e.g., ACTC score or HSAV). It follows the same general principles as linear regression, but fits a non-linear model with a predicted outcome bounded by 0 and 1. Sawyer (1996) used logistic regression and statistical decision theory to devise a method for validating educational selection decisions; the method frames validity evidence in terms of probable outcomes, given the admissions measures and outcome criteria used.

Validity statistics are generated from logistic regression and frequency distributions of scores on the admissions measure(s) to determine the effectiveness of the admissions criteria. The validity statistics emphasize specific cutoff values on the admissions measure and on the outcomes (i.e., first-year GPA). For example, the validity statistics address whether or not students with a specific test score would be successful in college (e.g., first-year GPA of 2.0 or higher).

A cutoff score on a selection variable (e.g., ACTC score) is the minimum value of the variable for which students are selected. Admissions decisions are usually made based on multiple measures, some of which are subjective. ACT does not advocate making admissions decisions solely on the basis of a single measure, such as a test score. The use in this paper of one or two predictors with single cutoffs is a mathematical simplification. The methods used here, such as those used with the joint ACT and HSAV model, could be generalized to multiple measures, however.

We estimated three validity statistics for each predictor (or predictor combination) and cutoff score:

- a. the maximum percentage of correct classifications (accuracy rate (AR)),
- b. the percentage of successful students among those who would be expected to be successful (success rate (SR)), and
- c. the increase in the percentage of correct classifications over expecting all applicants to be successful (increase in accuracy rate ( $\Delta$ AR)).

Correct classifications include students scoring above a cutoff score who were successful and students scoring below the cutoff who would have not been successful, if they had been selected. The "optimal" cutoff score is that for which the percentage of correct classifications (AR) is highest.

If there were no selection procedure (i.e., if all students were selected, regardless of their HSAVs and ACTC scores), a certain percentage of them would be successful. This percentage is referred to as the "baseline" accuracy rate. The arithmetic difference between the maximum accuracy rate and the baseline accuracy rate represents the increase in accuracy rate ( $\Delta$ AR) that results from using test scores or high school GPA.

Logistic regression models were constructed based on (a) ACTC score, (b) HSAV, and (c) ACTC and HSAV used jointly for predicting first-year success. The success criteria included first-year GPAs of 2.00, 2.50, 3.00, 3.25, 3.50, and 3.75 or higher. The logistic regression weights from each model were applied to the ACTC scores and/or HSAV values of all students at each institution with valid predictor data (i.e., the applicant pool), resulting in estimated probabilities of success for each student and model.

For each institution and success criterion, optimal base-year cutoffs were identified for the three types of predictor models a.-c. It can be shown that optimal cutoffs also correspond to a .50

probability of success for a given model. For the two-predictor model, combinations of ACTC and HSAV cutoffs corresponding to a probability of success of .50 were identified. ARs, SRs, and  $\Delta$ ARs were then estimated for each predictor (or predictor combination) and optimal cutoff. All statistics were calculated from the conditional probabilities of each outcome for individual students in the applicant pool, as estimated by the regression models (Sawyer, 1996). For comparison purposes, median baseline accuracy rates (the percentages of all enrolled students with GPAs at or above each criterion level) were also reported. Distributions of these statistics were summarized across institutions using minimum, median, and maximum values.

As noted previously, a probability of .50 corresponds to the maximum accuracy rate. Probability distributions that cross .50 will yield accuracy rate distributions that increase to a maximum and then decrease. If the probability distribution for an institution does not cross .50, the maximum accuracy rate and optimal cutoff score are generally not interpretable. Therefore, in reporting maximum accuracy rates for all base-year predictor models and criterion levels, the probability distributions for each institution were required to cross .50.

#### *Crossvalidation Analyses*

The accuracy of predictions based on the base-year ACTC and HSAV logistic regression models was assessed using the crossvalidation-year data. The logistic regression weights from each base-year model were applied to the ACTC scores and HSAV values of all applicants to each institution, resulting in estimated probabilities of success for each student and model. The *base-year* optimal cutoffs for each institution were then applied to the corresponding crossvalidation-year probability distributions, and crossvalidated ARs, SRs, and  $\Delta$ ARs were calculated (see p. 6 for descriptions of these statistics). For the two-predictor model, the logistic regression coefficients developed from the base year were applied to the crossvalidation-year applicant pool data to

estimate probabilities of success. These probability "scores" were then used to calculate ARs, SRs, and  $\Delta$ ARs using a cutoff value of .50. Distributions of all crossvalidated statistics were summarized across institutions using minimum, median, and maximum values.

### **Results**

Of the 216 institutions for which data were available for both 1996-97 and 1997-98, logistic regression models could be developed for all institutions and for all criterion values, with the exception of one institution for the 3.75 criterion. (For this institution, all students with a GPA of 3.75 or higher had HSAVs of 4.00.) Different criterion levels resulted in different numbers of institutions for which the fitted probability curves crossed .50, however:

- For all criterion levels except 2.00, successive increases in the criterion levels resulted in decreases in the numbers of institutions for which the fitted probability curves crossed .50, particularly for the HSAV models at the 3.25, 3.50, and 3.75 criterion levels.
- For the 2.00 criterion level, fewer institutions had fitted probability curves based on ACTC scores that crossed .50.

For the 2.50 to 3.50 criterion levels, the final sample consisted of 84 institutions with 58,482 enrolled and 186,029 nonenrolled students for which all models and criterion levels could be evaluated. For the 2.00 criterion level, there were 58 institutions and 39,925 enrolled and 166,583 nonenrolled students for which all models could be developed. For the 3.75 criterion level, there were only 15 institutions for which an HSAV model could be developed. In comparison, ACTC and joint models could be developed for all 84 institutions. HSAV results are therefore not reported for the 3.75 criterion level. Results for the HSAV, ACTC, and joint models for the 2.00 success criterion can be compared with each other, but they can not be directly compared to the results for

other criterion levels. The substantial decline in the numbers of institutions is discussed later in this section.

### *Descriptive Statistics*

The distributions of descriptive statistics across the 84 institutions are summarized in Table 1. For both enrolled students and the applicant pool, median, minimum, and maximum numbers of students, mean ACTC scores, HSAV values, and first-year GPA (enrolled students only) are reported for the base year and crossvalidation year.

**TABLE 1**

**Distributions, Across Institutions, of Means and Standard Deviations of ACT Composite Scores, High School GPAs, and First-Year GPAs, by Year and Applicant/Enrollment Status**

Enrollment status	Predictor variable	N		Mean		SD	
		Med	Min/Max	Med	Min/Max	Med	Min/Max
<i>Base year</i>							
Applicant pool	ACTC	1,183	219/19,675	20.6	17.5/26.0	3.97	3.35/4.81
	HSAV			3.10	2.76/3.65	.59	.37/.71
Enrolled students	ACTC	388	50/3,319	21.4	17.9/26.0	3.79	3.02/4.69
	HSAV			3.18	2.70/3.65	.57	.37/.76
	First-year GPA			2.63	2.30/3.13	.90	.55/1.28
<i>Crossvalidation year</i>							
Applicant pool	ACTC	1,268	227/21,386	20.9	17.7/25.4	4.07	3.27/4.81
	HSAV			3.14	2.73/3.59	.59	.44/.68
Enrolled students	ACTC	371	58/4,190	21.6	17.4/27.0	3.84	3.13/4.84
	HSAV			3.22	2.65/3.72	.57	.32/.71
	First-year GPA			2.69	2.05/3.13	.88	.48/1.48

As expected, the institutions' mean ACTC scores and HSAVs were typically higher among enrolled students than among the students in the entire applicant pool. The corresponding standard deviations were smaller for enrolled students. The distributions of crossvalidation year mean ACTC score, HSAV, and first-year GPA showed slightly higher values than those for the base year.

Mean ACTC scores for enrolled students from both years were typically lower than those for first-year college students nationally (mean ACTC = 21.7; ACT, 1998e). Mean HSAVs were similar to those for first-year college students nationally (mean HSAV = 3.23; ACT, 1998e).

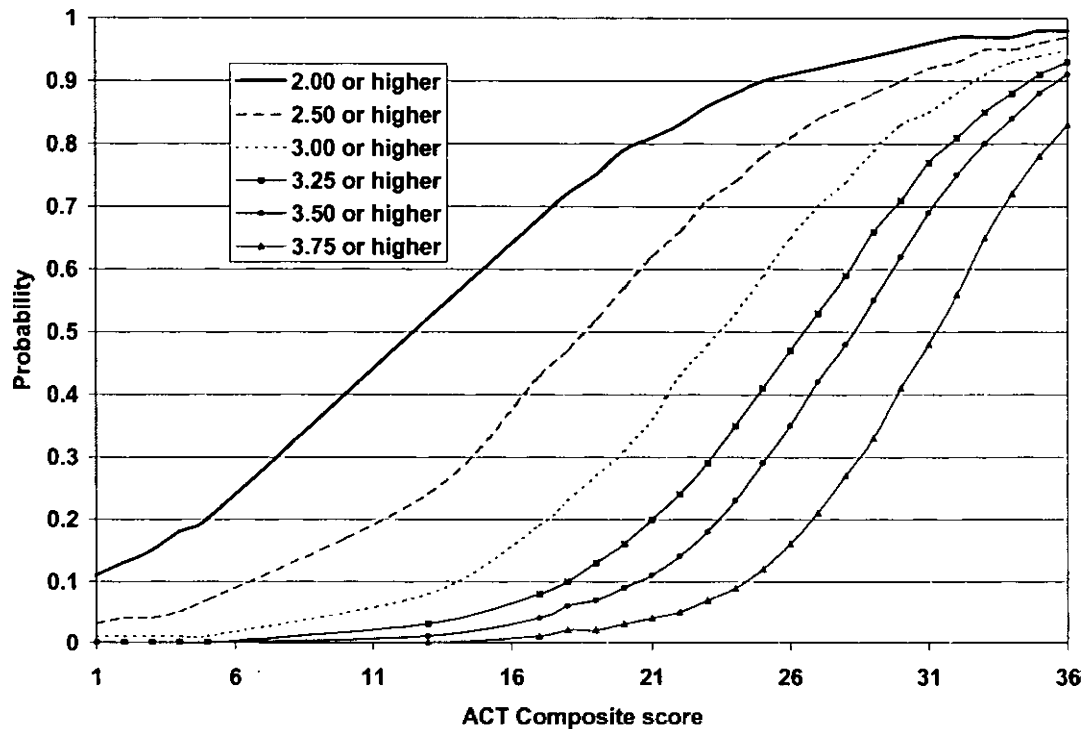
#### *Base-Year Logistic Regression Results*

Figures 1 and 2 show the median probabilities corresponding to all six criterion levels for ACTC (Figure 1) and HSAV (Figure 2) models. The probabilities were summarized across the 216 institutions (215 institutions for the 3.75 criterion level) for which all three models could be developed.

As shown in Figure 1, the median probability distributions for all criterion levels ranged from near zero for an ACTC score of 1 to between .83 and .98 for an ACTC score of 36. A student with an ACTC score of 21 (the approximate median mean ACTC score across the 84 institutions) would typically have a .81 probability of earning a 2.00 first-year GPA or higher. The corresponding probabilities for the other criterion levels would be .62 (2.50), .36 (3.00), .20 (3.25), .11 (3.50), and .04 (3.75), respectively.



**FIGURE 1. Median Probabilities of 2.00, 2.50, 3.00, 3.25, 3.50, and 3.75 or Higher First-Year GPA, Based on ACT Composite Score**

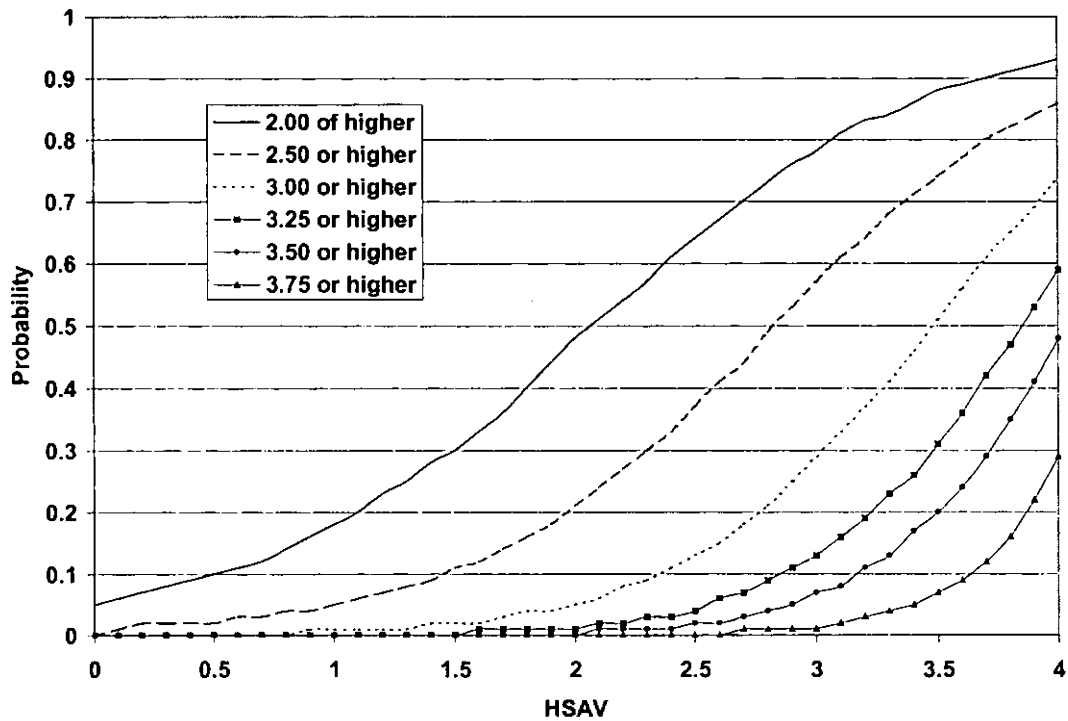


As shown in Figure 2, the median probability distributions for HSAV ranged from near 0 (HSAV = 0), to between .29 and .93 (HSAV = 4.00). A student with an HSAV of 2.00 would typically have a .48 probability of a 2.00 or higher first-year GPA, and a .21 probability of a 2.5 or higher first-year GPA. The corresponding median probabilities for the other criterion levels would be .05 or lower. In comparison, a student with an HSAV of 3.2 (the approximate median mean HSAV across the 84 institutions) would typically have a .83 probability of a 2.00 or higher first-year GPA. The corresponding median probabilities for the other criterion levels would be .64 (2.50), .37(3.00), .19 (3.25), .11 (3.50), and .03 (3.75), respectively.

Note that for the criterion levels of 3.50 and 3.75, an HSAV of 4.00 corresponded to a median probability of success of less than .50. Moreover, for the criterion levels of 2.50 and 3.00, there was little difference in the median probabilities for HSAV values of less than 2.00.

Similarly, for HSAV values of 2.50 for the 3.00, 3.25, 3.50, and 3.75 criterion levels, there was little difference in the corresponding median probabilities. Any substantive differentiation among students' probabilities across all criterion levels therefore appeared to occur between HSAV values of 3.0 and 4.0.

**FIGURE 2. Median Probabilities of 2.00, 2.50, 3.00, 3.25, 3.50, and 3.75 or Higher First-Year GPA, Based on High School GPA (HSAV)**



#### *Loss of Institutions Due to Lack of Model Fit*

A probability curve for a predictor variable is required to cross .50 for there to be a maximum accuracy rate. For example, the typical probability of a 3.25 or higher first-year GPA for a student with a 4.00 HSAV was less than .50. We refer to this type of model as a "nonviable model" for an institution. Models for institutions with probability curves crossing .50 are referred to as "viable models." Table 2 includes the numbers of viable and nonviable models, by

predictor. Note, for the 3.75 criterion level at one institution, all students with GPAs of 3.75 or higher had HSAVs of 4.00.

**TABLE 2**

**Number of Institutions Where Probability Distributions Did and Did Not Cross .50**

Success criterion level	Predictor variable	Number of institutions		
		Viable models	Nonviable models	Total possible models
2.00 or higher	ACTC	151	65	216
	HSAV	207	9	216
	ACTC+HSAV	210	6	216
2.50 or higher	ACTC	214	2	216
	HSAV	216	0	216
	ACTC+HSAV	216	0	216
3.00 or higher	ACTC	211	5	216
	HSAV	209	7	216
	ACTC+HSAV	214	2	216
3.25 or higher	ACTC	208	8	216
	HSAV	172	44	216
	ACTC+HSAV	210	6	216
3.50 or higher	ACTC	200	16	216
	HSAV	98	118	216
	ACTC+HSAV	203	13	216
3.75 or higher	ACTC	168	47	215
	HSAV	15	200	215
	ACTC+HSAV	175	40	215

As can be seen in Table 2, there was a large number of nonviable models for HSAV, especially for the 3.25, 3.50, and 3.75 success criterion levels. For these criterion levels, 20%, 55%, and 93%, respectively, of the HSAV models were nonviable, compared to 4%, 7%, and 22%, respectively, of the ACTC models. In general, institutions with nonviable ACTC models also had nonviable HSAV models. In contrast, for the 2.00 criterion level, 30% of the ACTC models were nonviable, compared to 4% of the HSAV models. For all of the nonviable ACTC models for this criterion level, all fitted probabilities of success exceeded .50.

The institutions with nonviable models were investigated further to attempt to explain the large discrepancy between the ACTC and HSAV results. The criterion level of 3.50 was targeted, because of the relatively large numbers of nonviable models for HSAV. The data file was matched to ACT's Institutional Data Questionnaire history (ACT, 1998b) to obtain descriptive information about these institutions. Of the 216 institutions possible, the 102 with nonviable models represented all regions of the country, both two-year and four-year institutions (29% two-year, 69% four-year, and 3% unable to determine), and all types of admissions policy (2% highly selective, 16% selective, 27% traditional, 13% liberal, 41% open, and 2% unable to determine). When compared with the institutions with viable models, very few differences were found in their ACTC scores, HSAV, or first-year college GPA distributions.

#### *Validity Statistics*

Table 3 shows median baseline accuracy rates, optimal cutoff scores, estimated accuracy rates (ARs), estimated increases in accuracy rates ( $\Delta$ ARs), and estimated success rates (SRs) for the 84 institutions for which validity statistics could be calculated.

As one would expect, median optimal ACTC and HSAV cutoffs increased across criterion levels from 2.00 to 3.75. For example, the median optimal ACTC score for a GPA level of 2.50 or higher was 18; the corresponding optimal cutoff scores for the other criterion levels were 22, 25, 27, and 30, respectively. Note, however, that statistics could not be calculated for the HSAV model for the 3.75 criterion level, due to the substantial numbers of institutions where the probability of a 3.75 or higher GPA for students with a 4.00 HSAV was less than .50. (The probability distributions did not cross .50 for 69 of the 84 institutions.)

Correspondingly, median baseline accuracy rates (median percentages of students with GPAs at or above each criterion level) decreased across all criterion levels. A relatively high percentage of students (median = 75%) had GPAs of 2.00 or higher.

TABLE 3

## Medians, Across 84 Institutions, of Base-Year Logistic Regression Statistics

Success criterion level	Baseline accuracy rate	Predictor variable	Optimal cutoff	Accuracy rate (AR)	Increase in accuracy rate ( $\Delta$ AR)	Success rate (SR)
2.00 or higher GPA <sup>(1)</sup>	75	ACTC	14	.76	.00	.77
		HSAV	2.21	.79	.02	.80
		ACTC & HSAV <sup>(3)</sup>		.79	.02	.81
2.50 or higher GPA	61	ACTC	18	.69	.07	.70
		HSAV	2.78	.71	.09	.73
		ACTC & HSAV <sup>(3)</sup>		.74	.11	.75
3.00 or higher GPA	39	ACTC	22	.71	.31	.65
		HSAV	3.39	.73	.32	.67
		ACTC & HSAV <sup>(3)</sup>		.76	.36	.70
3.25 or higher GPA	25	ACTC	25	.79	.54	.63
		HSAV	3.73	.79	.52	.60
		ACTC & HSAV <sup>(3)</sup>		.81	.57	.67
3.50 or higher GPA	17	ACTC	27	.84	.67	.61
		HSAV	3.91	.83	.65	.55
		ACTC & HSAV <sup>(3)</sup>		.86	.69	.64
3.75 or higher GPA <sup>(2)</sup>	7	ACTC	30	.93	.85	.57
		HSAV				
		ACTC & HSAV <sup>(3)</sup>		.93	.86	.59

## Notes:

<sup>(1)</sup> All 2.00 models are based on 58 institutions for which the base-year fitted probability distributions based on ACTC scores crossed .50.

<sup>(2)</sup> HSAV prediction statistics could be calculated for only 15 of the 84 institutions

<sup>(3)</sup> A range of optimal combinations of ACTC score and HSAV correspond to a probability of .50 for the joint model.

For criterion levels of 2.00, 2.50, and 3.00, the median ARs and  $\Delta$ ARs indicated that the HSAV models were somewhat more accurate than the ACTC models. However, for criterion levels of 3.25 and 3.50, the median ARs for the ACTC equaled and then exceeded those for

HSAV. (The corresponding median  $\Delta$ ARs were both somewhat higher for the ACTC models.) For the 3.75 model, the median ARs for the ACTC model and the joint model were identical, reflecting the small contribution of HSAV to the joint model. For all criterion levels except the 2.00 level, the median ARs and  $\Delta$ ARs for the ACTC and HSAV joint model exceeded those for the single-predictor ACTC and HSAV models.

Median SRs showed a similar result: For criterion levels of 2.00 and 2.50, median SRs for the HSAV model were higher than those for the ACTC model. For all other criterion levels, the median SRs for ACTC were higher than those for HSAV. For all criterion levels, median SRs for the joint model exceeded those for the separate HSAV and ACTC models.

#### *Crossvalidation-Year Logistic Regression Results*

The crossvalidated logistic regression results are shown in Table 4. Median baseline accuracy rates and crossvalidated estimated accuracy rates (ARs), increases in accuracy rates ( $\Delta$ ARs), and success rates (SRs) are shown for each criterion level. The median optimal cutoffs for the ACTC, HSAV, and joint models were the same as those for the base-year. For all criterion levels except 2.50 or higher, median baseline accuracy rates were slightly higher for the crossvalidation year than for the base year.

The crossvalidated ARs and  $\Delta$ ARs were very similar to those for the base year: Differences between base-year and crossvalidated median AR did not exceed .02 for all three models. Differences between base-year and crossvalidated median  $\Delta$ ARs for all three models were .04 or less across all criterion levels.

The base-year results showed somewhat greater prediction accuracy for the HSAV model for criterion levels of 2.50 and 3.00, similar prediction accuracy at a criterion level of 3.25, and somewhat greater prediction accuracy for the ACTC model at a criterion level of 3.50. The

crossvalidated results differed slightly: The crossvalidated median ARs for the 3.25 level slightly favored the HSAV model (.77 vs. .78), although the median  $\Delta$ ARs were the same (.50) for the two models. Crossvalidated ARs and  $\Delta$ ARs continued to favor the ACTC model for the 3.50 criterion level. For the 3.75 level, the crossvalidated median  $\Delta$ ARs for the ACTC and joint models were the same and the corresponding median ARs differed by .01 (.92 and .93, respectively), again illustrating the weak contribution of HSAV to the joint model for this success criterion.

TABLE 4

**Medians, Across 84 Institutions, of Crossvalidated Logistic Regression Statistics**

Success criterion level	Baseline accuracy rate	Predictor variable	Accuracy rate (AR)	Increase in accuracy rate ( $\Delta$ AR)	Success rate (SR)
2.00 or higher GPA <sup>(1)</sup>	78	ACTC	.78	.00	.80
		HSAV	.79	.01	.83
		ACTC & HSAV	.80	.02	.83
2.50 or higher GPA	61	ACTC	.69	.06	.70
		HSAV	.72	.08	.74
		ACTC & HSAV	.73	.10	.76
3.00 or higher GPA	40	ACTC	.70	.29	.63
		HSAV	.73	.31	.66
		ACTC & HSAV	.75	.35	.70
3.25 or higher GPA	26	ACTC	.77	.50	.61
		HSAV	.78	.50	.61
		ACTC & HSAV	.81	.53	.68
3.50 or higher GPA	19	ACTC	.83	.65	.58
		HSAV	.82	.64	.54
		ACTC & HSAV	.86	.67	.67
3.75 or higher GPA <sup>(2)</sup>	8	ACTC	.92	.85	.53
		HSAV			
		ACTC & HSAV	.93	.85	.71

Notes:

<sup>(1)</sup> All 2.00 models are based on 58 institutions for which the base-year fitted probability distributions based on ACTC scores crossed .50.

<sup>(2)</sup> HSAV prediction statistics could be calculated for only 15 of the 84 institutions.

Crossvalidated median SRs were slightly higher than were those for the base year for lower criterion levels (2.00 and 2.50). For higher criterion levels, median SRs were lower than were those for the base year, with the exception of the 3.75 criterion level. For this level, the median SR for the joint model was considerably higher for the crossvalidation year than for the base year. This result might be attributable to the higher baseline accuracy rates for the crossvalidation year sample.

### **Conclusions**

An important finding of this study is the apparent inability of HSAV to predict high levels of academic achievement during the first year of college. For 20%, 55%, and 93% of the institutions, a 4.00 high school GPA corresponded to a probability of a 3.25, 3.50, and 3.75 or higher GPA that was less than .50. Moreover, in some cases HSAV values less than 3.00 provided little discrimination in terms of student's chances of achieving different first-year GPAs. This evidence suggests that noncognitive factors contribute significantly to high school grades lower than a B.

Consistent with prior research (ACT, 1997c), HSAV predictions of first-year GPAs of 2.50 and 3.00 were somewhat more accurate than those based on ACTC score. However, predictions based on ACTC score and HSAV jointly were more accurate than those based on HSAV or ACTC score alone. For higher first-year GPA criterion levels, ACTC score predictions were as accurate or more accurate than those associated with HSAV. These findings appear to support the conclusions of earlier research that college grades reflect achievement and noncognitive factors (Goldman, et al., 1974; 1975; 1976; Beck, 1999; Pothoven, 1993; Lambert, 1993; McSpirit, Kopacz, Jones, & Chapman, 2000; U.S. Department of Education, 1994). The



findings also support earlier research that these noncognitive factors are less pervasive at higher achievement levels (Goldman et al., 1974; 1975; 1976).

Postsecondary institutions seek high achievement for their students, and want to admit students who have a good chance of being successful in college. Some people might criticize the use of standardized admissions tests, stating that such tests are appropriate only for “elite” students, and should not be used for the typical college-bound student. These results suggest that ACT Composite scores provide greater differentiation across levels of achievement than do high school GPAs in terms of students’ probable success during their first year in college.



## References

- ACT (1997a). *ACT Class Profile Service*. Iowa City, IA: ACT, Inc.
- ACT (1998a). *ACT Class Profile Service*. Iowa City, IA: ACT, Inc.
- ACT (1998b). *ACT Institutional Data Questionnaire*. Iowa City, IA: ACT, Inc.
- ACT (1997b). *ACT Prediction Research Service*. Iowa City, IA: ACT, Inc.
- ACT (1998c). *ACT Prediction Research Service*. Iowa City, IA: ACT, Inc.
- ACT (1998d). *Research Services Summary Tables*. Iowa City, IA: ACT, Inc.
- ACT (1997c). *ACT technical manual*. Iowa City, IA: ACT, Inc.
- ACT (1998e). *College student profiles*. Iowa City, IA: ACT, Inc.
- Beck, B. (1999). *Trends in undergraduate grades*. A paper presented at the annual fall conference of the Association for Institutional Research in the Upper Midwest in ST. Paul, Minnesota.
- Breland, H., Maxey, J., Gernand, R., Cumming, T. and Trapani, C. (2002) *Trends in college admission 2000: A report of a national survey of undergraduate admission policies, practices, and procedures*. Retrieved May 13, 2002 from <http://airweb.org/trends.html>.
- Goldman, R. D. & Hewitt, B. N. (1975). Adaptation-level as an explanation for differential standards in college grading. *Journal of Educational Measurement*, 12(3), 149-161.
- Goldman, R. D., Schmidt, D. E., Hewitt, B. N., & Fisher, R. (1974). Grading practices in different fields. *American Education Research Journal*, 11(4), 343-357.
- Goldman, R. D. & Widawski, M. H. (1976). A within-subjects technique for comparing college grading standards: Implications in the validity of the evaluation of college achievement. *Educational and Psychological Measurement*, 36, 381-390.
- Lambert, C. (1993). Desperately seeking summa. *Harvard Magazine*, 36-40.
- Maxey, E. J. (in press). *Selected trends in ACT-Tested Students*. Iowa City, IA: ACT, Inc.
- McSpirit, S, Kopacz, P, Jones, K, & Chapman, A. (2000). Faculty opinion on grade inflation: Contradictions about its cause. *College & University Journal*, 75(3), 19-25.
- Pothoven, C. (1994, June 29). *C's aren't what they used to be*. The Daily Iowan, pp. 1A, 3A.

- Sawyer, R. L. (1996). Decision theory models for validating course placement tests. *Journal of Educational Measurement, 33*, 271-290.
- Sawyer, R. L., & Maxey, E. J. (1980). The validity of college grade prediction equations over time. *Journal of Educational Measurement, 16*(4), 279-284.
- Stiggins, R. J., Frisbie, D. A., & Griswold, P. A. (1989). Inside high school grading practices: Building a research agenda. *Educational Measurement: Issues and Practice, 8*(2), 5-14.
- U. S. Department of Education, Office of Educational Research and Improvement (1994). *What do student grades mean? Differences across schools* (Office of Research Rep. OR 94-3401). Washington, DC: Office of Research.







